

Challenges in track structure nanodosimetry

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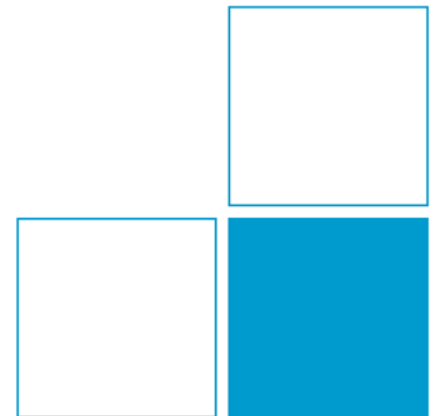
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Outline:

- definition of quantities
- instrumentational / experimental aspects
- measurements



Instrumentational aspects

Goal: experimentally access the ionization cluster size distribution of ionizing particles (here: ions) in a DNA-segment

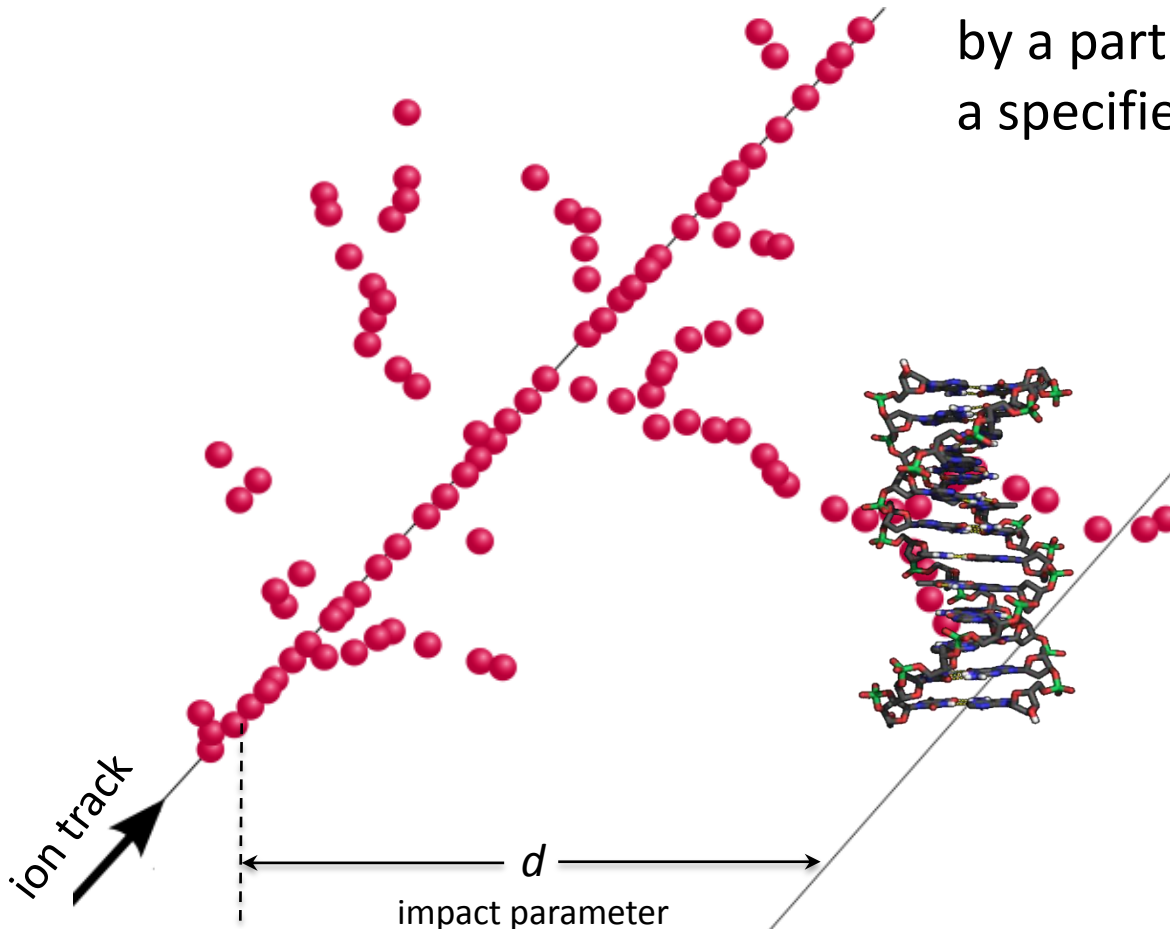
How : count all ionizations produced by a single ionizing particle in a volume element of the size of a DNA-segment for a large amount of ionizing particles

- no detection of single ionization events in solid or liquids
→ replace liquid water cylinder (DNA-segment) with low pressure gas volume
density: $1 \text{ g/cm}^3 \rightarrow 1 \mu\text{g/cm}^3$; **dimension:** $\text{nm} \rightarrow \text{mm}$
- drift the ionized gas molecules away from particle track, separate them in time and extract them from the interaction volume
- establish a correlation between the collected target gas ions and the ionizing particle
→ trigger data acquisition by primary particle
- count all collected ionized gas molecules before next primary particle trigger
→ single primary event measurement
- repeat this over and over again ...

Nanodosimetric quantities

ionization cluster size:

Number ν of ionizations produced by a particle (radiation quality Q) in a specified piece of matter.



distribution:

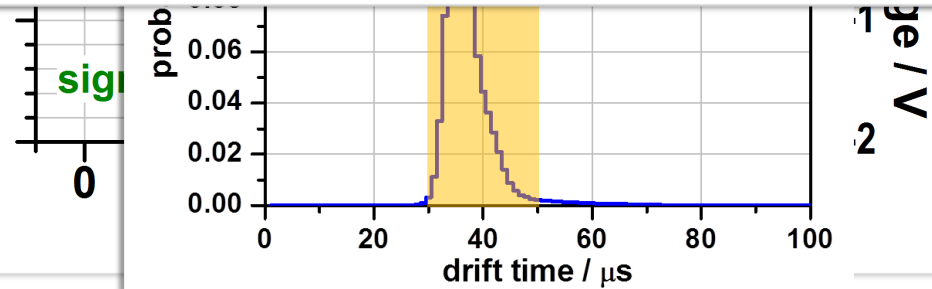
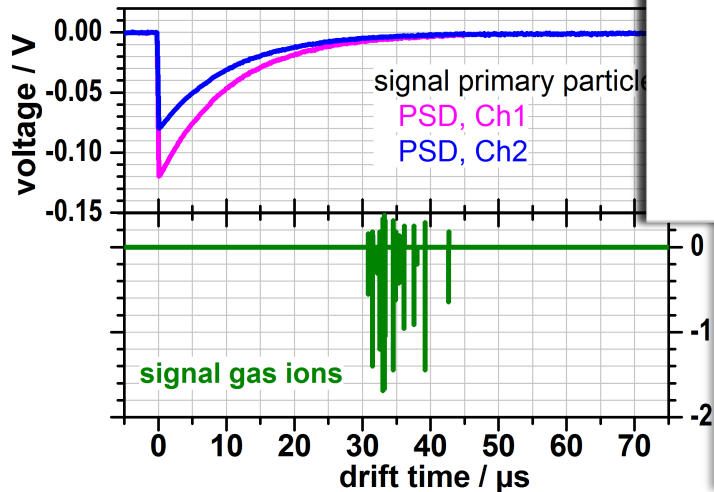
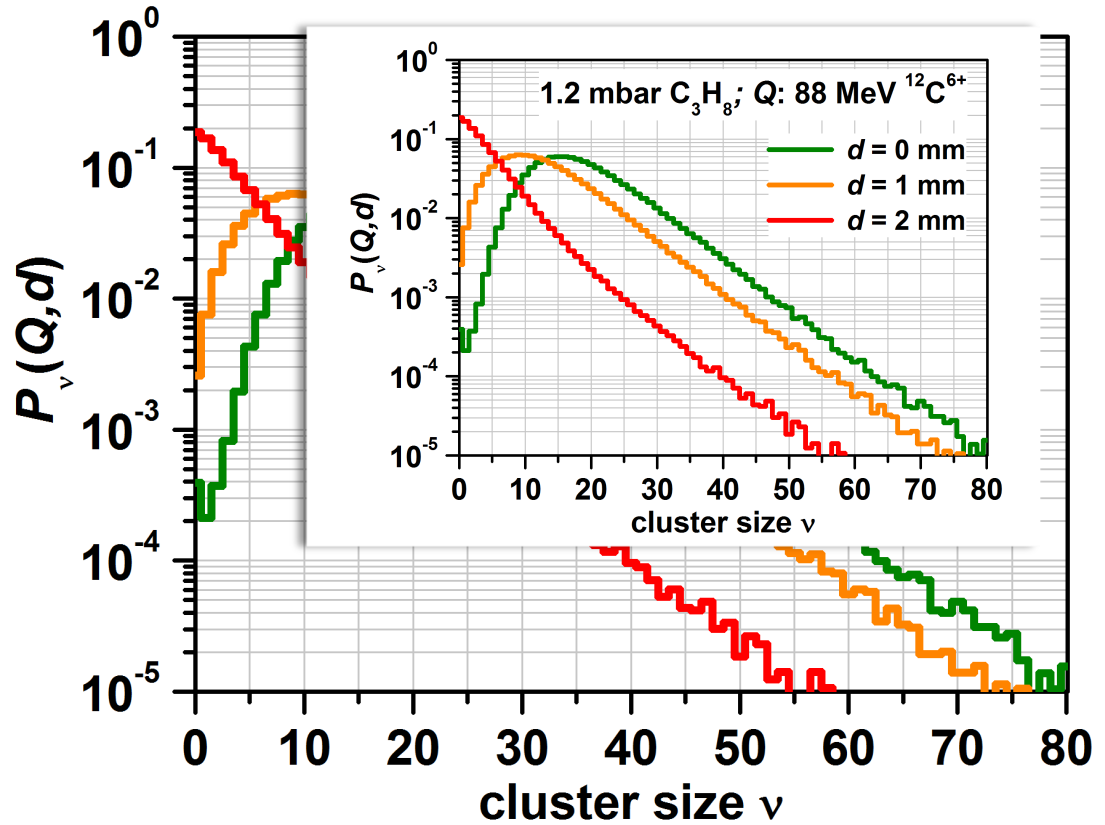
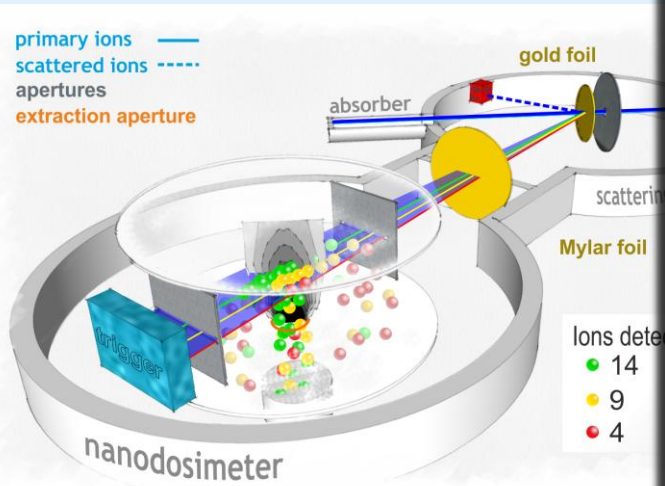
$P_\nu(Q)$ is the probability of producing an ionization cluster of size ν .

moments:

$$M_i(Q) = \sum_{\nu=0}^{\infty} \nu^i \cdot P_\nu(Q)$$

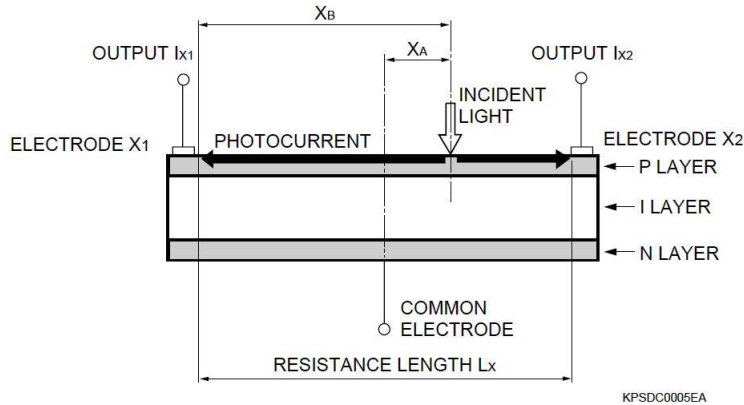
is the i -th moment of $P_\nu(Q)$

Experimental setup



Position sensitive detection

Figure 1-1 PSD sectional view



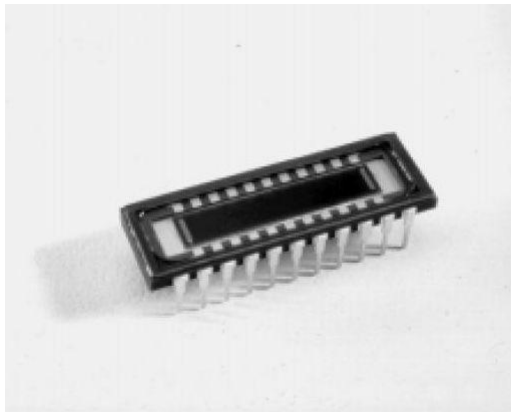
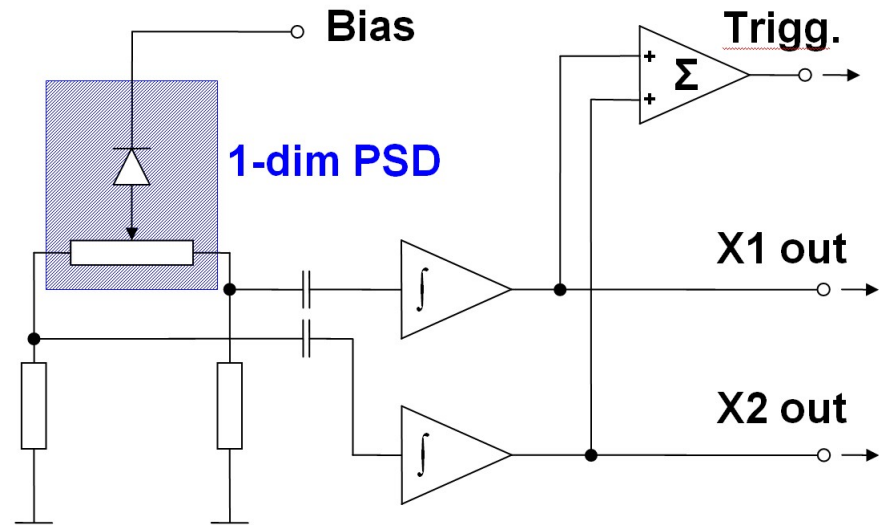
Courtesy: Hamamatsu Photonics K.K.

Output currents are inversely proportional to the distance: incident light – electrode $X_{1/2}$

Position due to current distribution:

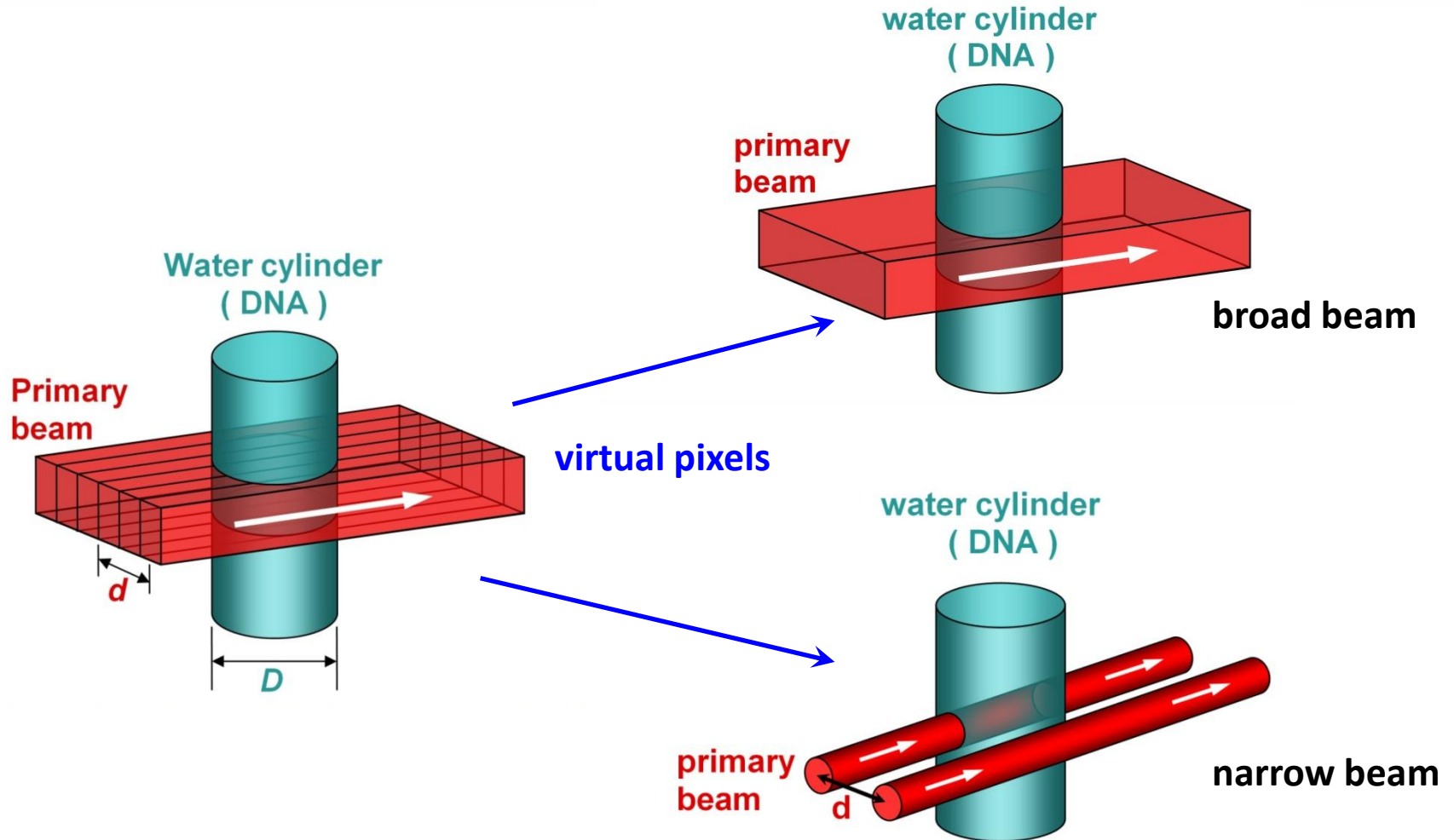
$$X_A = 0,5 L_x (I_{X1} - I_{X2}) / (I_{X1} + I_{X2})$$

Circuit for charged particle detection

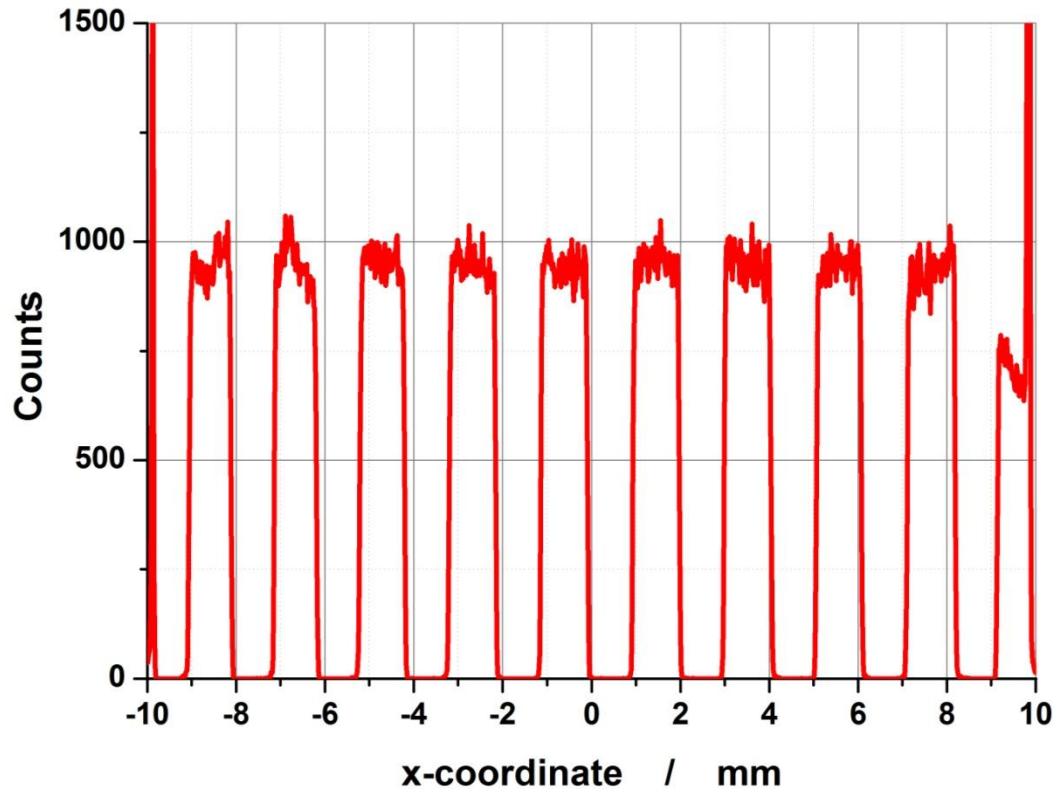


Courtesy: SiTek Electro Optics AB

Irradiation geometry



Characterisation PSD



measurement with grid:

width strip: 1 mm

width slit: 1 mm

43 MeV $^{12}\text{C}^{6+}$ -ions

„virtual pixel size“: 20 μm

result:

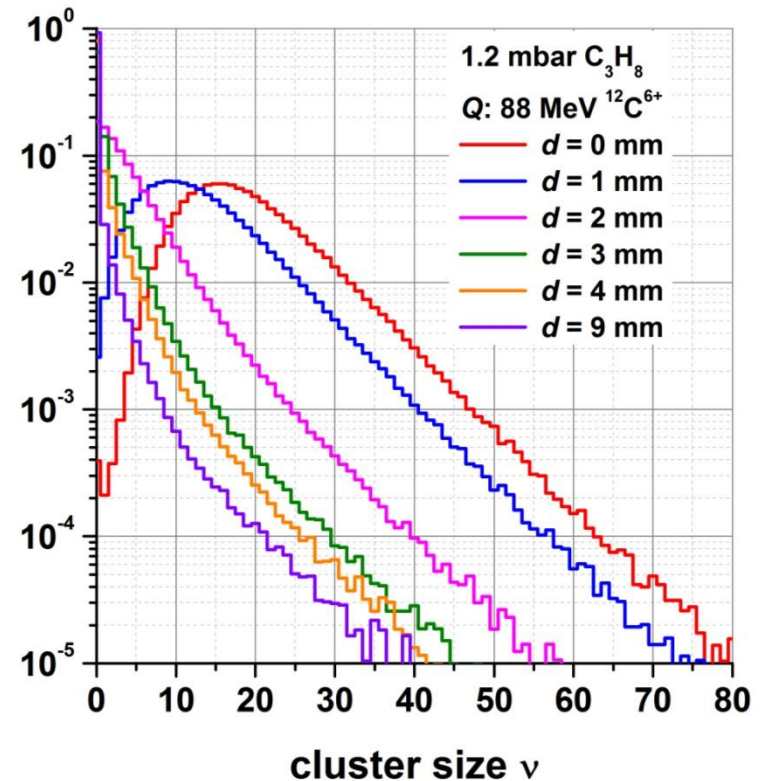
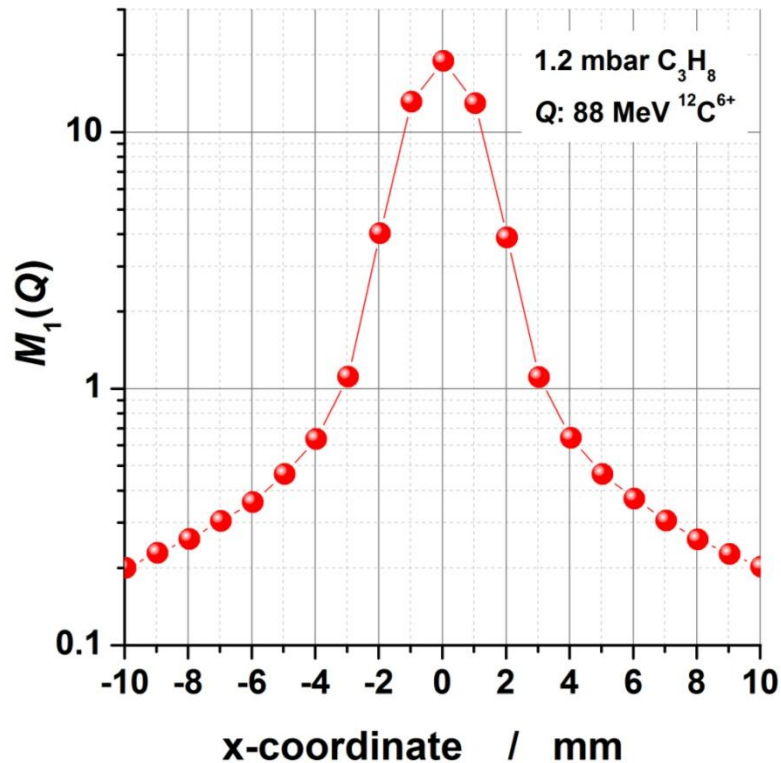
resolution (mean): 62 μm

range: -9.4 mm – 8.7 mm

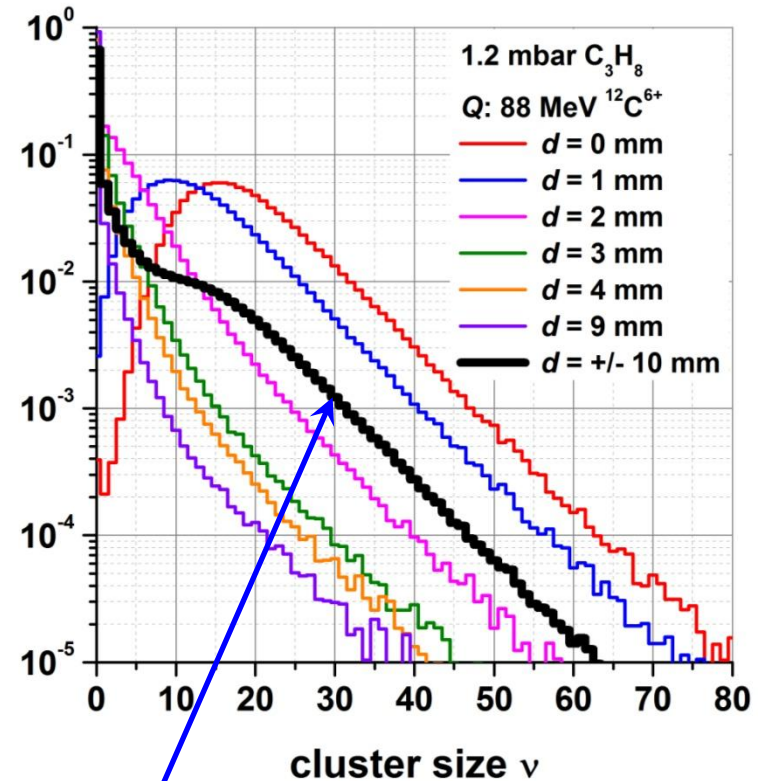
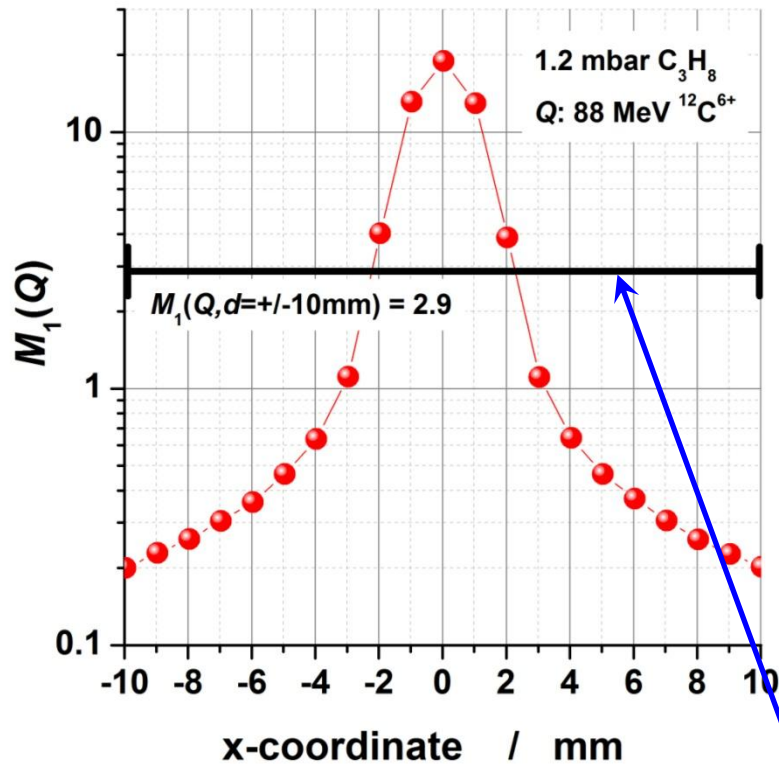
nonlinearity: 0.077 (± 10 mm)

0.043 (± 7 mm)

Ionization clusters; narrow beam

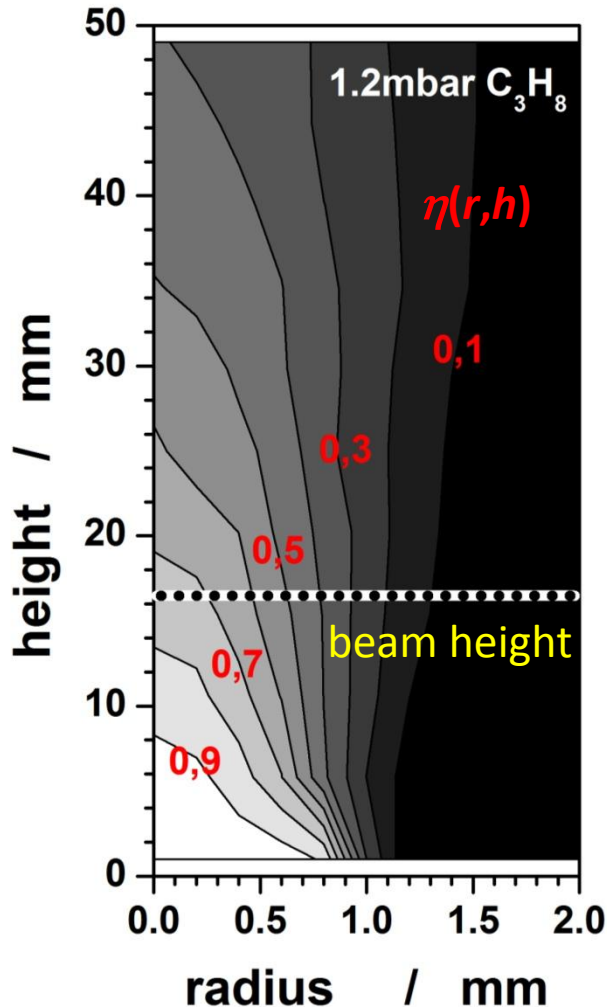


Ionization clusters; narrow + broad beam



broad beam geometry

Radius sensitive volume



detection efficiency η is position dependent:
 $\eta(r, h)$ (radius r , height h)

radius r_{eff} of sensitive volume in height h
 = radius of cylinder with $\eta = 1$, for which $\eta_{cyl} = \eta_{SV}$

= detection efficiency integrated along particle track

for 1.2 mbar C₃H₈ in nominal beam height:

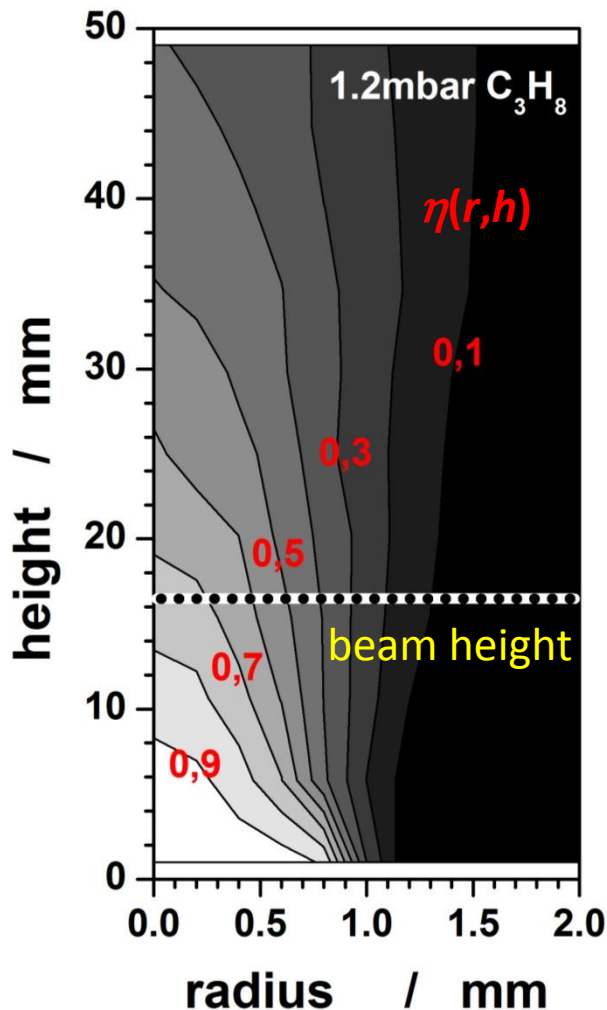
$$r_{eff}(h = 16.25 \text{ mm}) = \int_{r=0}^l \eta(r, h = 16.25 \text{ mm}) \cdot dr = 0.6 \text{ mm}$$

$$\triangleq 0.135 \mu\text{g}/\text{cm}^2$$

for 1.2 mbar N₂ in nominal beam height :

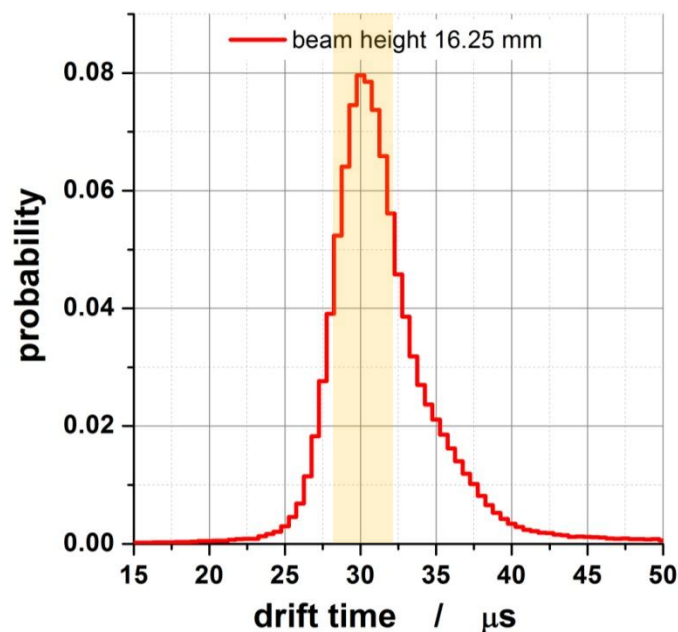
$$r_{eff} = 0.46 \text{ mm} \triangleq 0.068 \mu\text{g}/\text{cm}^2$$

Height sensitive volume

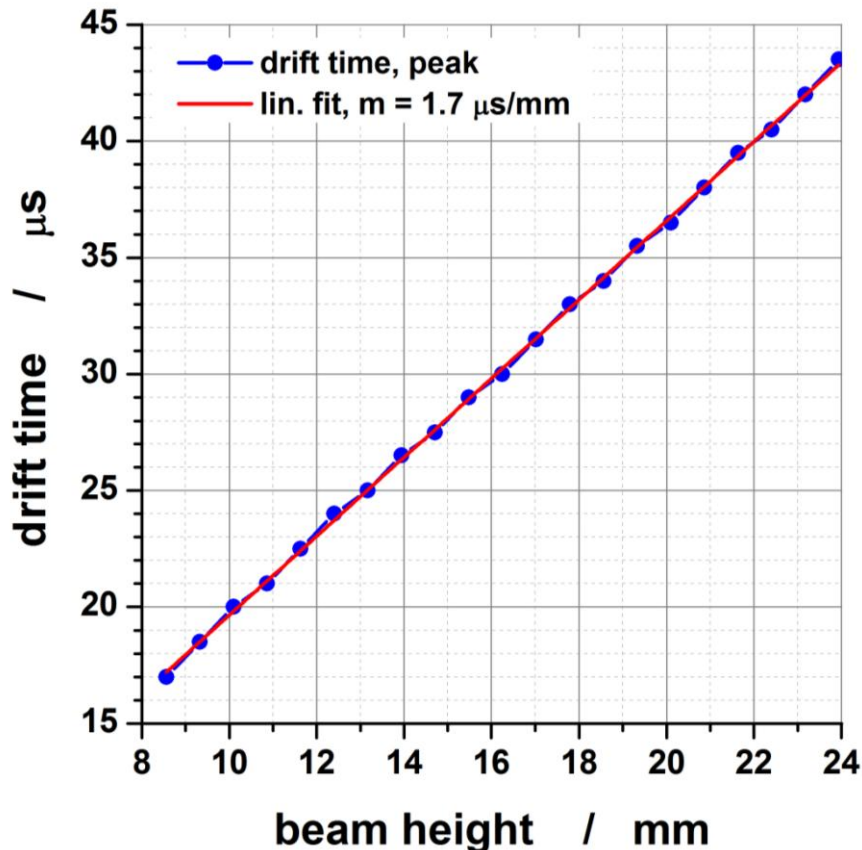


total height of sensitive volume: 50 mm

reduction of effective height of sensitive volume possible by reduction of the drift time window for the target gas ions



Height sensitive volume



slope drift time: $1.7 \mu\text{s}/\text{mm}$

drift time window: $\pm 2.5 \mu\text{s}$
 $\rightarrow \pm 1.45 \text{ mm}$

detection efficiency $\eta(r, h) \cong 0,7$
($r = 0 - r_{\text{eff}}$, $h = 14.8 \text{ mm} - 17.7 \text{ mm}$)
 $h_{\text{eff}} = 2 \text{ mm}$

for 1.2 mbar C_3H_8 in nominal beam height:
 $h_{\text{eff}} \hat{=} 0.46 \mu\text{g}/\text{cm}^2$

Ionization clusters; physical / biological aspects

physics: take into account all primary particles (events), including those which do not interact

→ $P_\nu(Q,d)$ for all ν ($\nu = 0, \dots, \infty$)

$P_\nu(Q,d)$ reflects the (absolute) track structure of the radiation quality Q

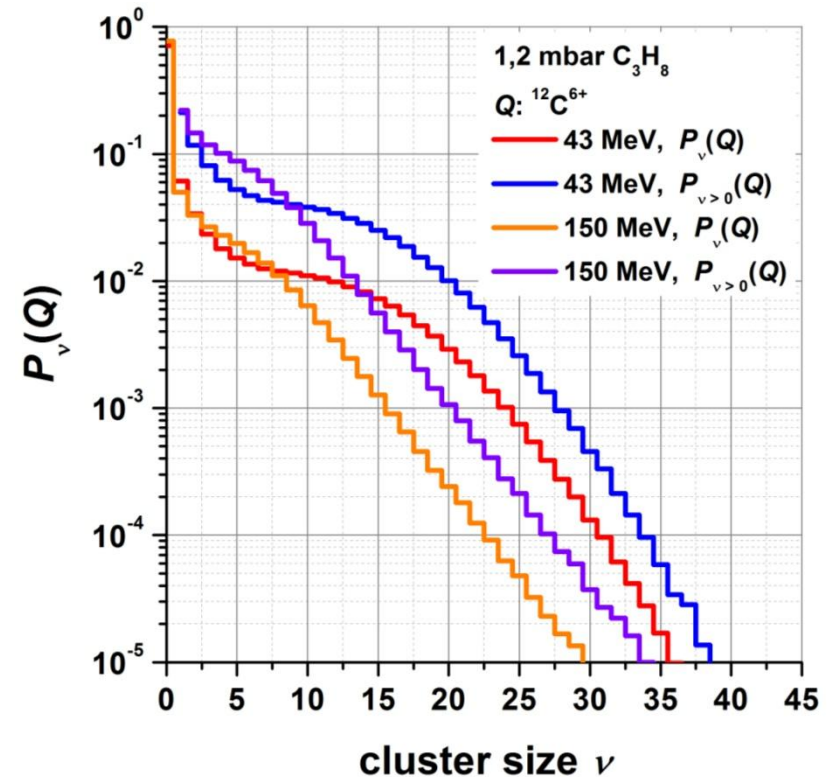
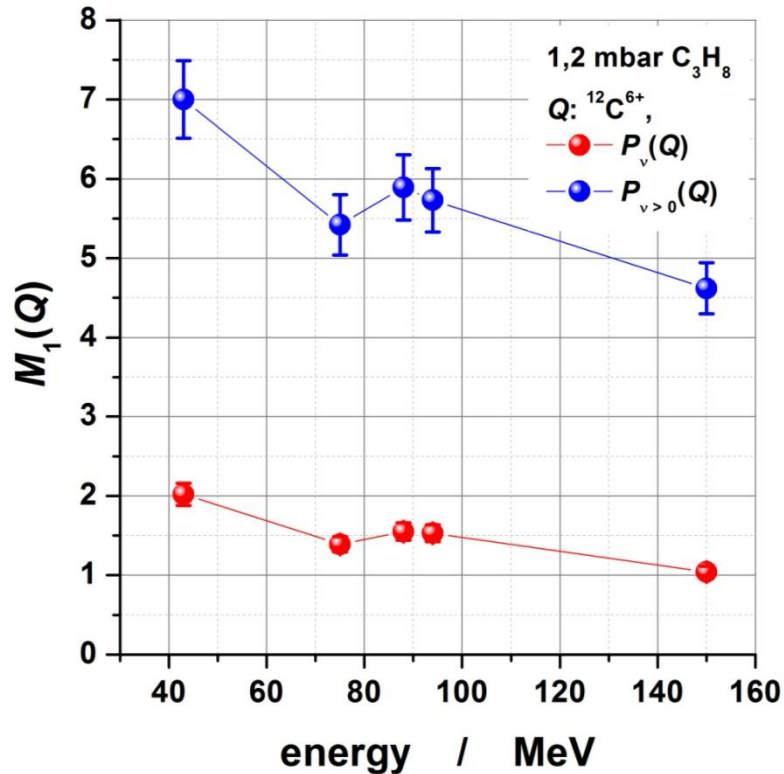
biology: all primary particles which do not interact (i.e. events with cluster size $\nu = 0$) do not produce a biological damage, i.e. they have no biological effect
take into account only events with at least one interaction (here: ionization), i.e. events with cluster size $\nu > 0$

→ $P_\nu(Q,d)$ for all $\nu > 0$ → $P_{\nu > 0}(Q,d)$

$P_{\nu > 0}(Q,d)$ reflects the (relative) distribution of damages (ionizations > 0) of the radiation quality Q

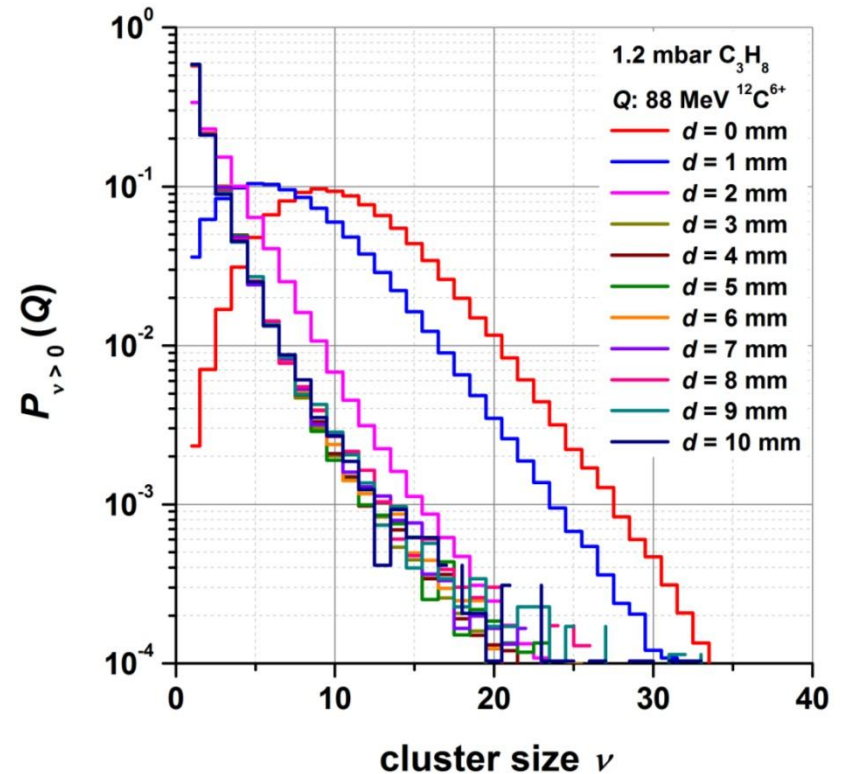
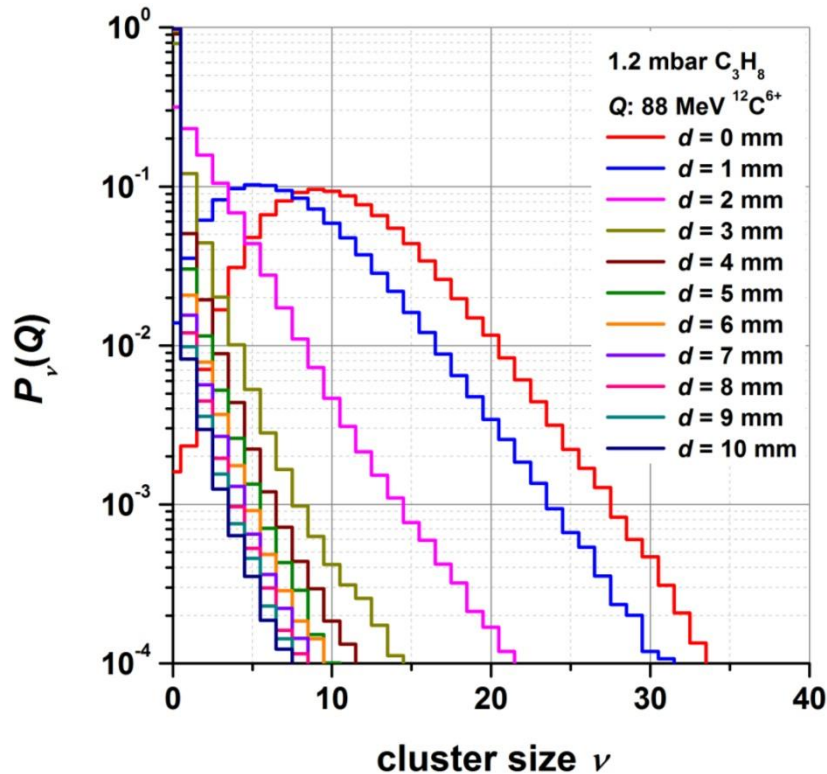
Ionization clusters; broad beam

$$P_{\nu>0}(Q) \text{ vs. } P_{\nu}(Q)$$



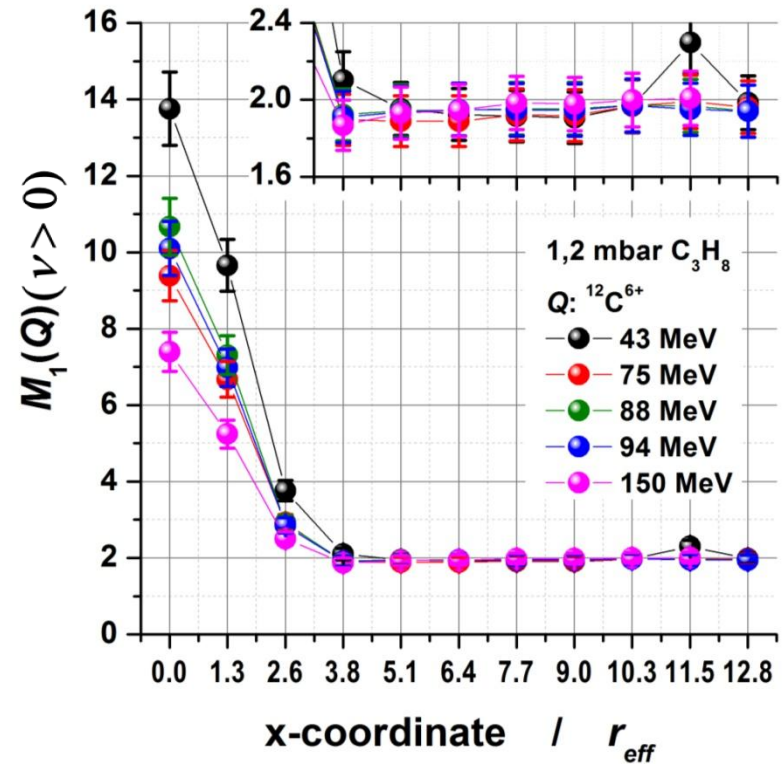
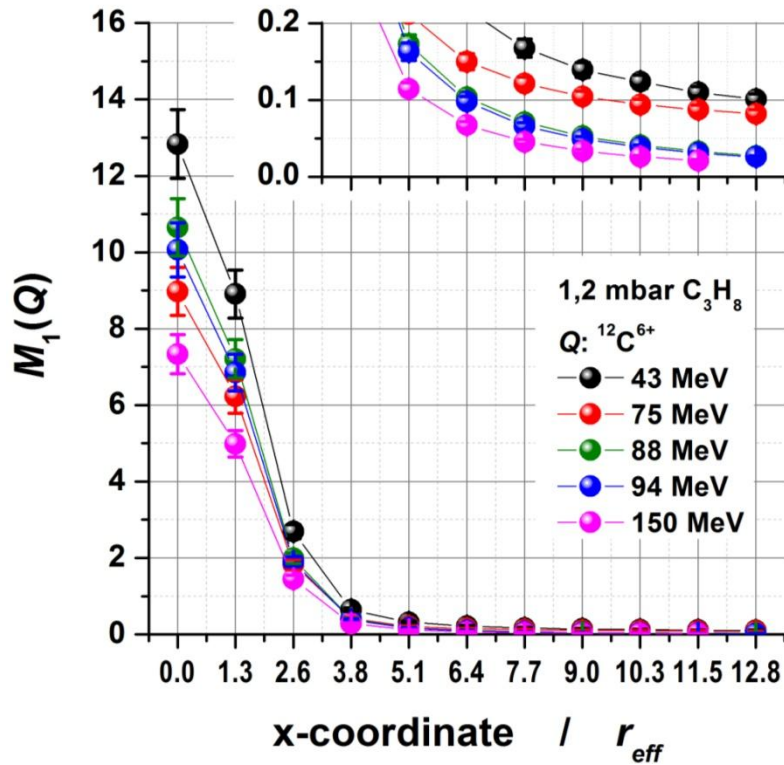
Ionization clusters; narrow beam

$$P_{\nu > 0}(Q) \text{ vs. } P_{\nu}(Q)$$



Ionization clusters; narrow beam

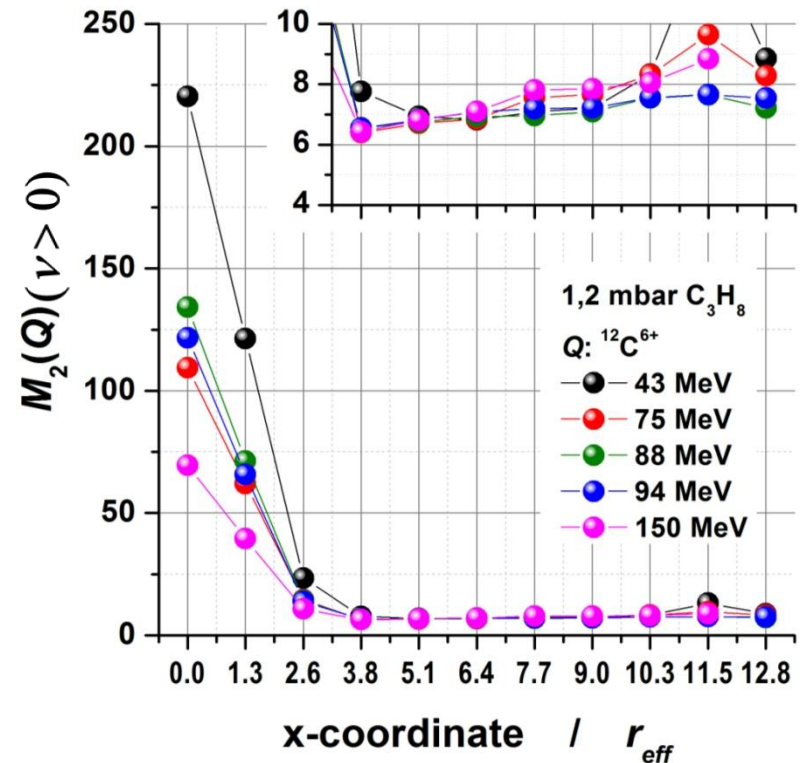
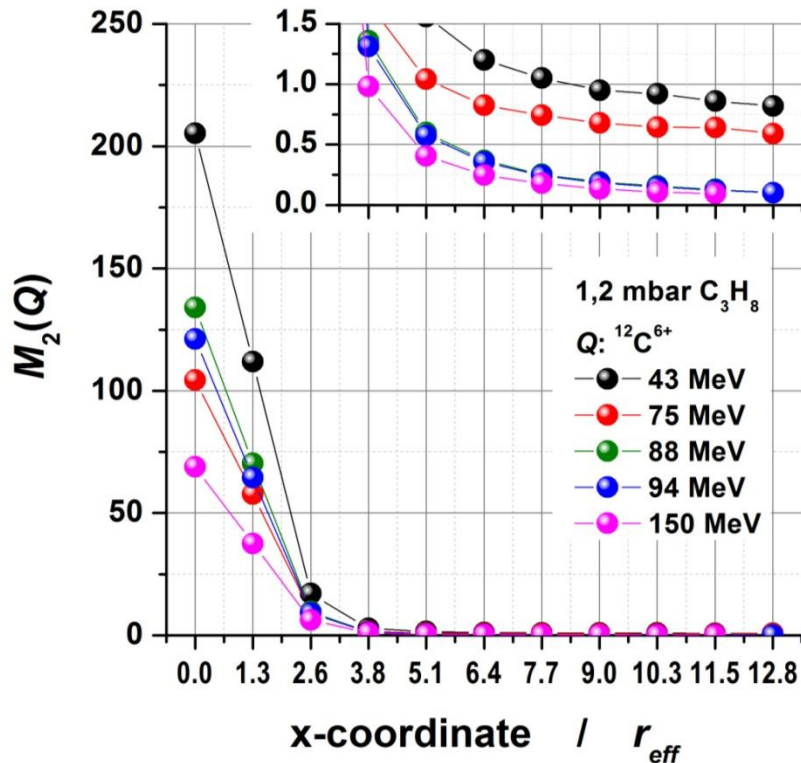
$$P_{\nu>0}(Q) \text{ vs. } P_{\nu}(Q): M_1(Q)$$



$$M_1(T) = \sum_{\nu=0}^{\infty} \nu \cdot P_{\nu}(T)$$

Ionization clusters; narrow beam

$$P_{\nu>0}(Q) \text{ vs. } P_{\nu}(Q): M_2(Q)$$



$$M_2(T) = \sum_{\nu=0}^{\infty} \nu^2 \cdot P_{\nu}(T)$$

Conclusion

instrumentation:

- measurement of track structure in nanometric volumes
 - 1.2 mbar N_2 : $r_{eff} = 0.068 \mu\text{g}/\text{cm}^2$ ($d_{eff} \cong 1\text{nm H}_2\text{O}$)
 - 1.2 mbar C_3H_8 : $r_{eff} = 0.135 \mu\text{g}/\text{cm}^2$ ($d_{eff} \cong 4\text{nm H}_2\text{O}$)
 - height variable with drift time window:
 - 1.2 mbar C_3H_8 : $\pm 2.5 \mu\text{s} \rightarrow h_{eff} = 0.46 \mu\text{g}/\text{cm}^2$ ($h_{eff} \cong 7\text{nm H}_2\text{O}$)
- position sensitive detection allows various irradiation geometries
 - resolution (mean): $60 \mu\text{m}$
 - nonlinearity: $0.043 (\pm 7 \text{ mm})$

physics:

- ionization cluster measurements of carbon ions in 1.2 mbar C_3H_8 (BioQuaRT)
- comparison $P_v(Q)$ vs. $P_{v>0}(Q)$:
 - ionization cluster size distribution constant for $P_{v>0}(Q)$ for large impact parameter d (outside of sensitive volume)
 - $M_1(Q)$ larger for $P_{v>0}(Q)$ than for $P_v(Q)$

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Thank you for your attention

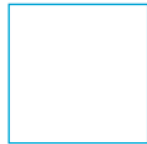


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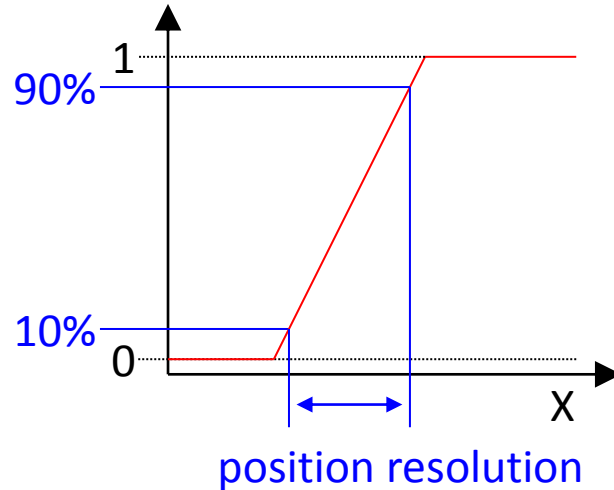
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Stand: 05/14

Characterisation PSD

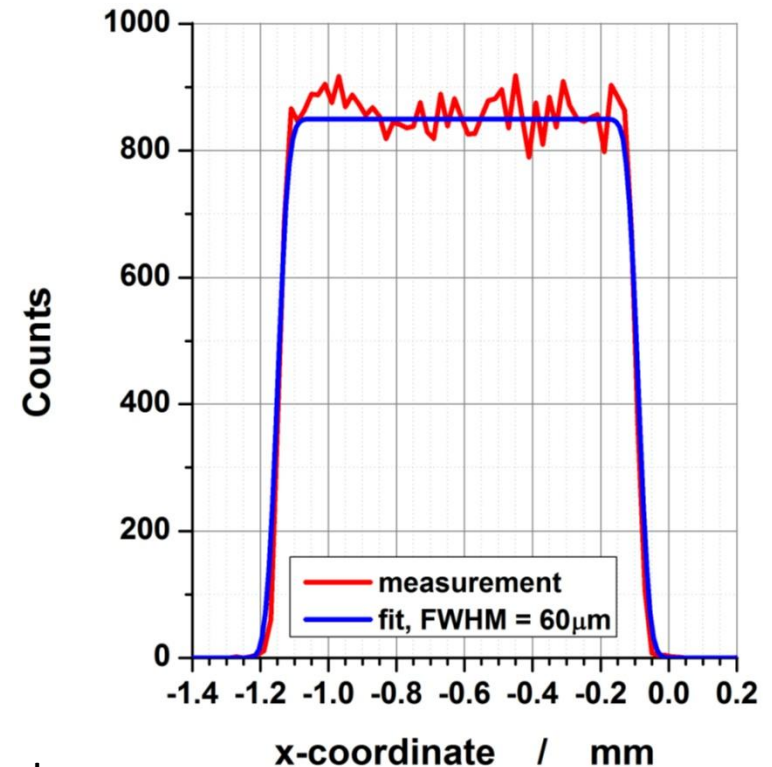


position resolution:

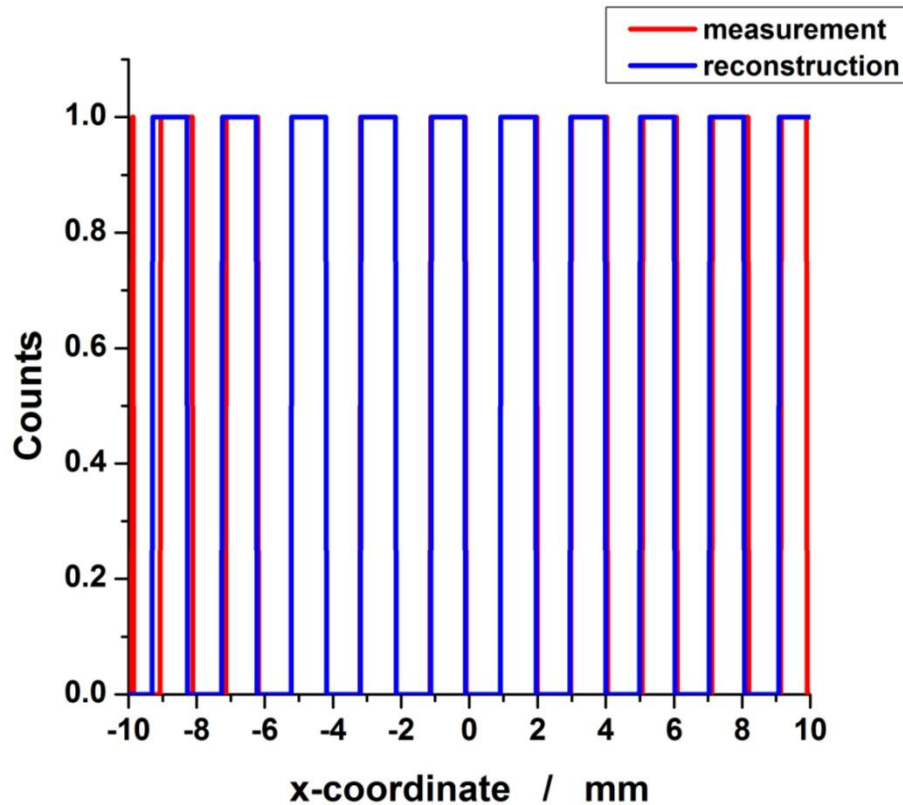
distance: 10% intensity – 90% intensity

identical to:

convolution, rectangular distribution with normal distribution, position resolution = FWHM



Characterisation PSD



nonlinearity: 0.077 (± 10 mm)
0.043 (± 7 mm)

determination nonlinearity NL :

$$NL = \frac{\sum_{i=1}^n (Y_i^R - Y_i^M)^2}{n}$$

measurement:

all „pixel“ with counts $>$ mean $\rightarrow Y^M = 1$
all „pixel“ with counts $<$ mean $\rightarrow Y^M = 0$

reconstruction:

determination of strip center and strip width resp. slit center und slit width (mean values, without boundary area);
„pixel“ below slit $\rightarrow Y^R = 1$
„pixel“ below strip $\rightarrow Y^R = 0$

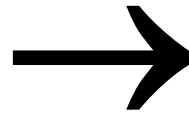
Size sensitive volume; liquid H₂O

measurement in gas, target is DNA (H₂O-cylinder); → scaling of distributions

mean cluster size: $M_1(Q) \approx \frac{D}{\lambda} = \frac{D\rho}{\lambda\rho}$

distributions comparable when:

$$M_1(Q)_{material\ 1} = M_1(Q)_{material\ 2}$$



$$\frac{(D\rho)_{material\ 1}}{(D\rho)_{material\ 2}} = \frac{(\lambda\rho)_{material\ 1}}{(\lambda\rho)_{material\ 2}}$$

with: D = diameter sensitive volume
 ρ = density
 λ = mean free path for ionization



$$\frac{(\lambda\rho)_{C_3H_8}}{(\lambda\rho)_{H_2O}} \cong 0,66 : \quad r_{eff} = 0,135 \mu\text{g}/\text{cm}^2 (1,2 \text{ mbar } C_3H_8) \rightarrow 0,20 \mu\text{g}/\text{cm}^2 H_2O$$



$$\frac{(\lambda\rho)_{N_2}}{(\lambda\rho)_{H_2O}} \cong 1,36 : \quad r_{eff} = 0,05 \mu\text{g}/\text{cm}^2 (1,2 \text{ mbar } N_2) \rightarrow 0,05 \mu\text{g}/\text{cm}^2 H_2O$$